

CS 279 Assignment 2

Kickstart

10/16/23

Software Setup

- PyMOL 2.5
- Python 3.9
- CS 279 Conda environment:
 - Making a conda environment: `conda create -n cs279 python=3.9`
 - Activating a conda environment: `conda activate cs279`

Force Fields and Free Energy Calculation

$$U = \sum_{\text{bonds}} k_b (b - b_0)^2$$

Bond lengths (“Stretch”)

$$+ \sum_{\text{angles}} k_\theta (\theta - \theta_0)^2$$

Bond angles (“Bend”)

**Bonded
terms**

$$+ \sum_{\text{torsions}} \sum_n k_{\phi,n} \left[1 + \cos(n\phi - \phi_n) \right]$$

Torsional/dihedral angles

$$+ \sum_i \sum_{j>i} \frac{q_i q_j}{r_{ij}}$$

Electrostatics

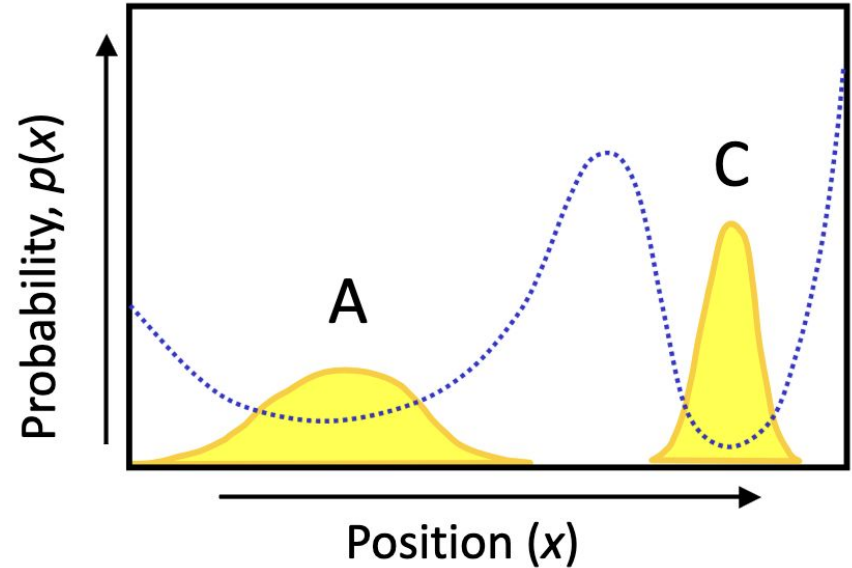
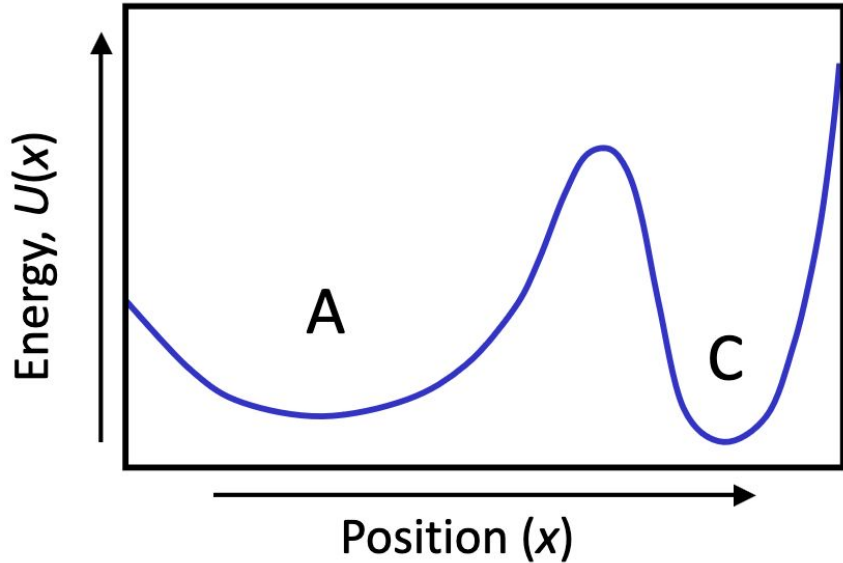
$$+ \sum_i \sum_{j>i} \frac{A_{ij}}{r_{ij}^{12}} - \frac{B_{ij}}{r_{ij}^6}$$

Van der Waals

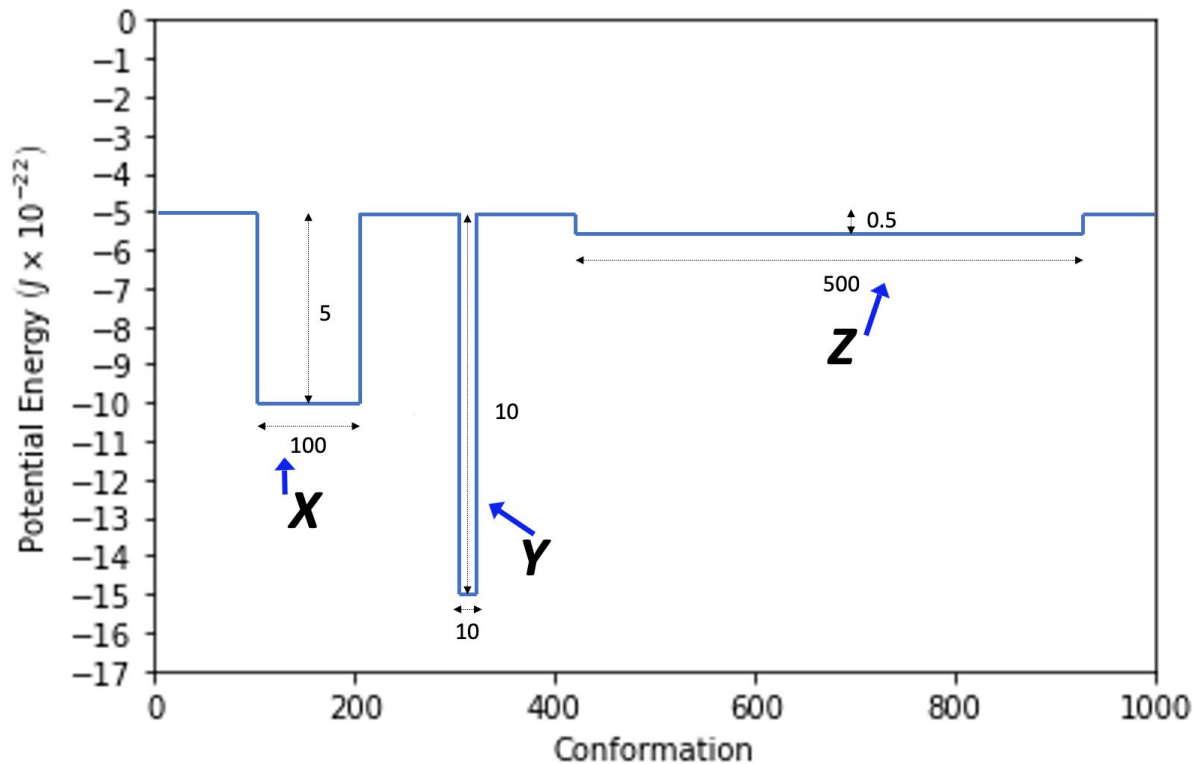
**Non-
bonded
terms**

Force Fields and Free Energy Calculation

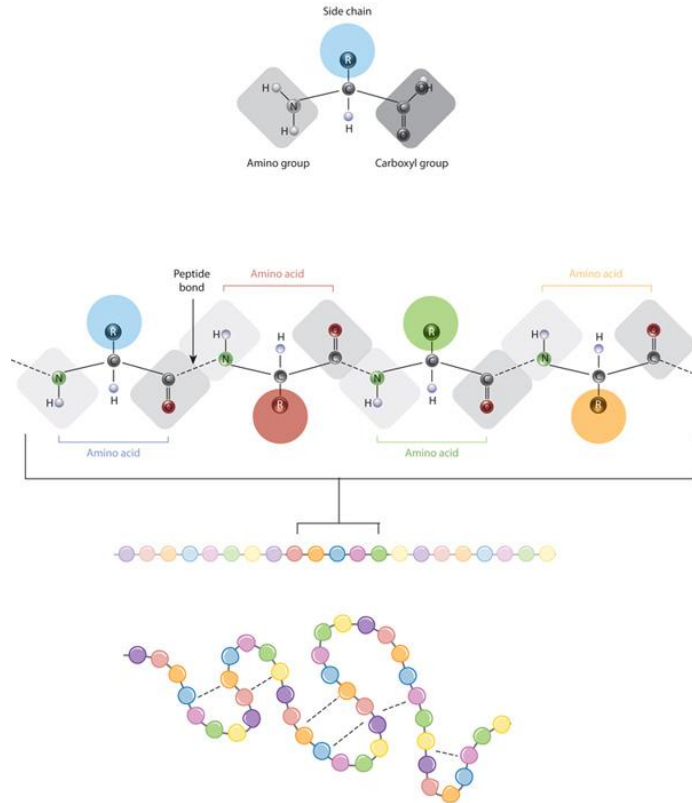
$$P(A) = \int_{x \in A} P(\mathbf{x}) \propto \int_{x \in A} \exp\left(\frac{-U(\mathbf{x})}{k_B T}\right) d\mathbf{x}$$



Force Fields and Free Energy Calculation



Deriving a knowledge-based energy function



```
train_structures = [[  
    ('ASP', 'CB', 1, (0, 0, 0)),  
    ('LYS', 'CB', 10, (0, 0, 1))  
]]
```

Deriving a knowledge-based energy function

$$G = \sum_{i=1}^N \sum_{j=i+1}^N g(d_{ij}, A_i, A_j) \quad \text{scorer}$$

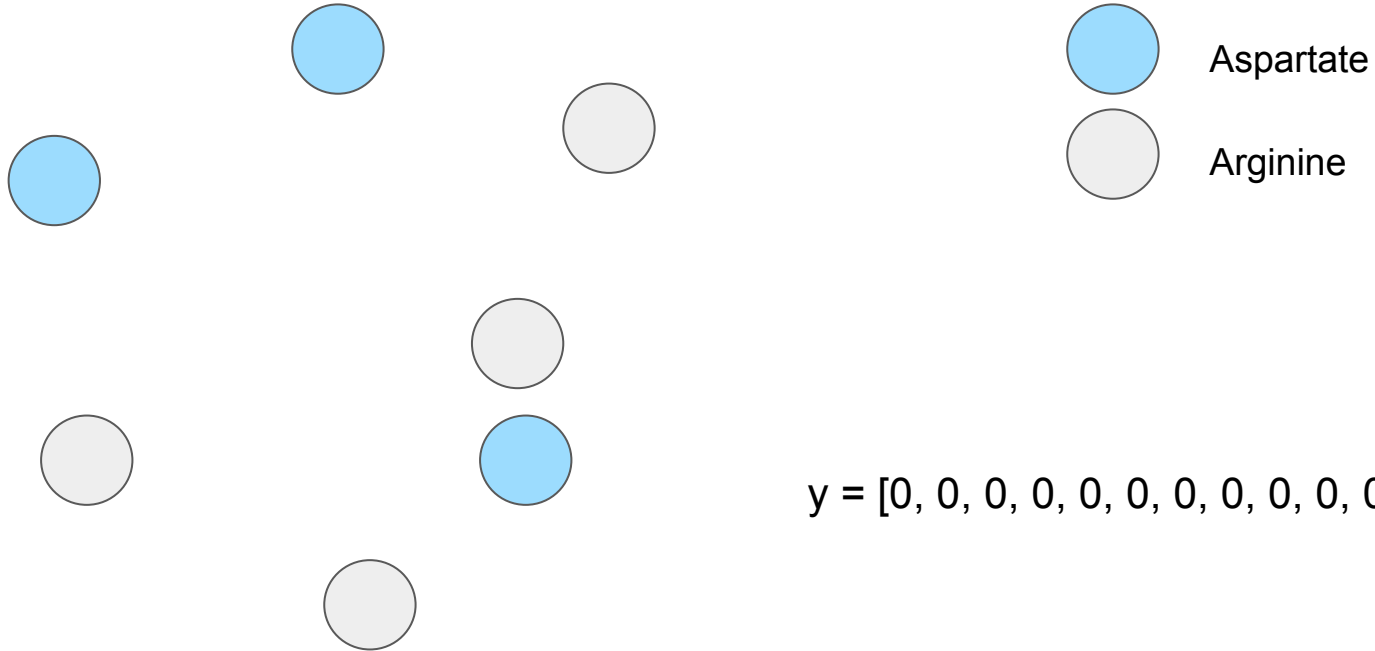
distributions_to_energy

observed_distribution

$$g(d_{ij}, A_i, A_j) = -\log \frac{N_{obs}(d_{ij}, A_i, A_j)}{N_{exp}(d_{ij}, A_i, A_j)}$$

expected_distribution

Deriving a knowledge-based energy function

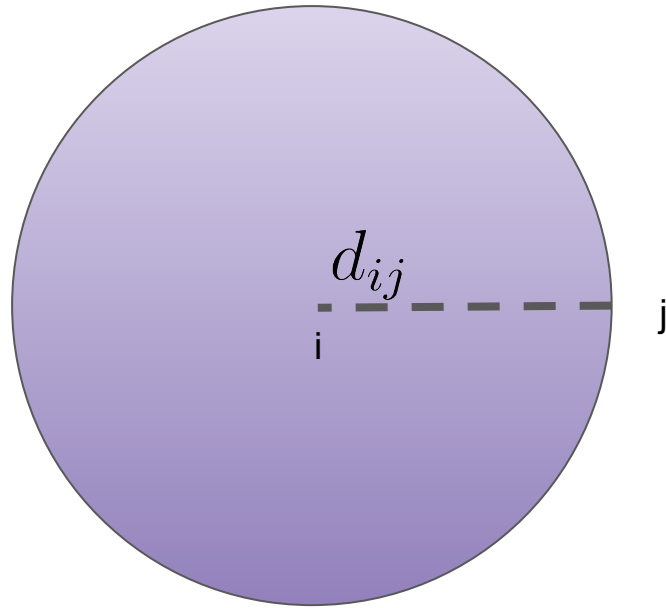


Deriving a knowledge-based energy function

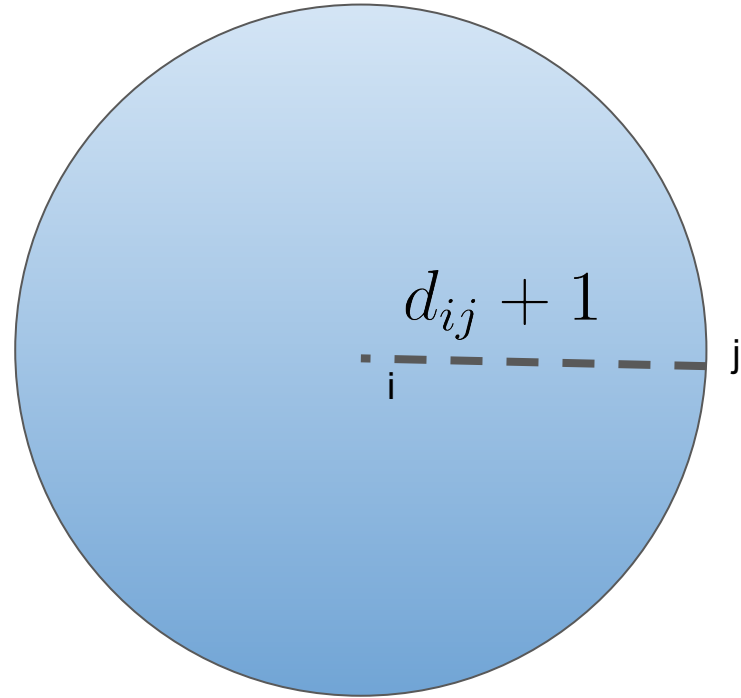
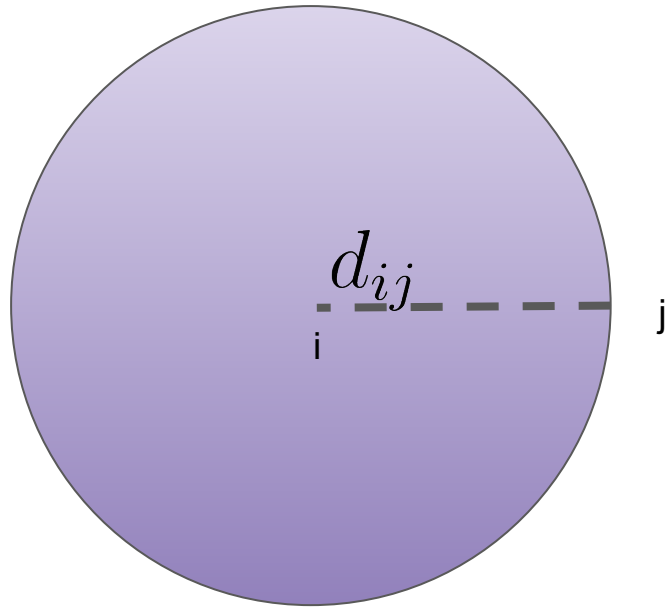
Tips for observed distance:

- Look at how the `get_coords`, `get_distances`, and distribution functions are implemented.
- Look at how the `observed_distribution` tests are implemented.

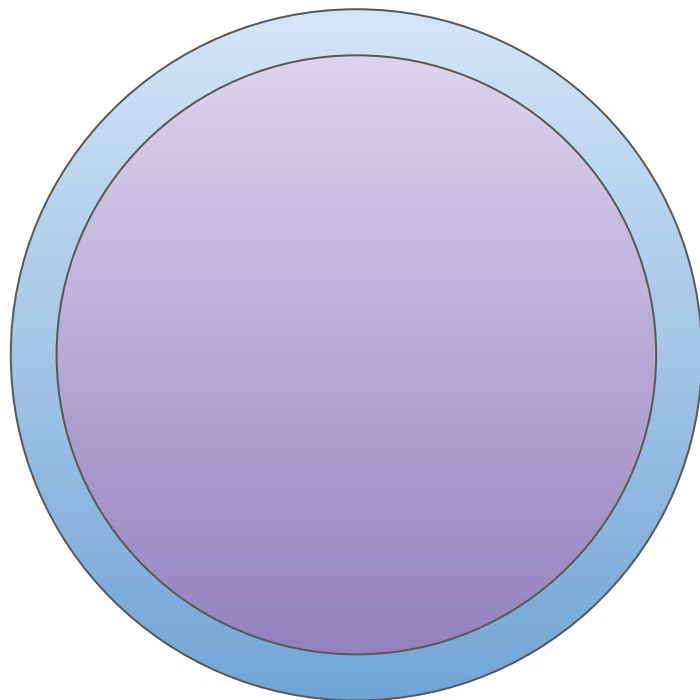
Deriving a knowledge-based energy function



Deriving a knowledge-based energy function



Deriving a knowledge-based energy function



Deriving a knowledge-based energy function

$$G = \sum_{i=1}^N \sum_{j=i+1}^N g(d_{ij}, A_i, A_j) \quad \text{scorer}$$

distributions_to_energy

observed_distribution

$$g(d_{ij}, A_i, A_j) = -\log \frac{N_{obs}(d_{ij}, A_i, A_j)}{N_{exp}(d_{ij}, A_i, A_j)}$$

expected_distribution

Protein structure prediction with AlphaFold

